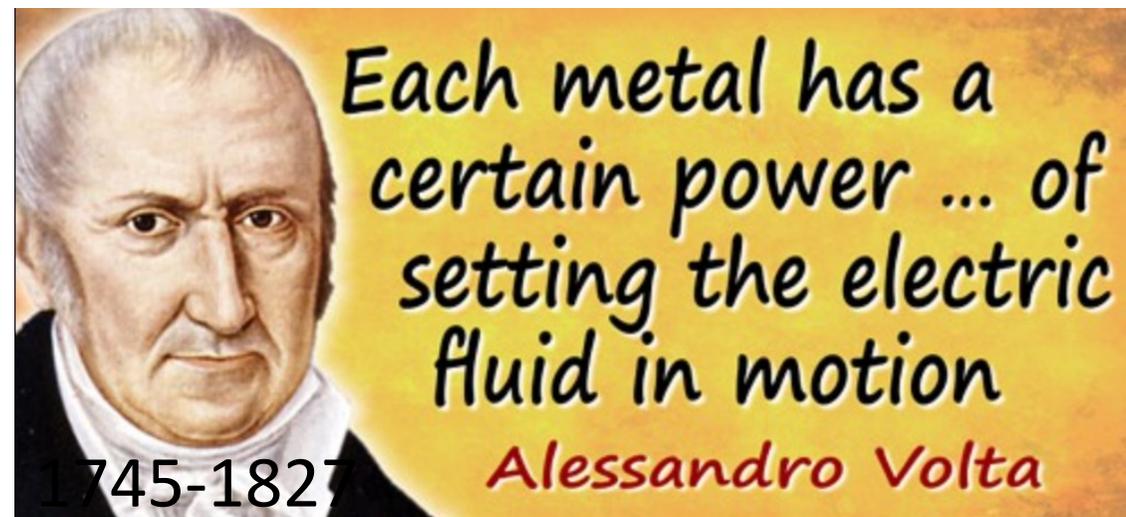




# Not to be used as reference

## List of equations in fluid mechanics



Physical situation	Nomenclature	Equations
<b>Fluid statics, pressure gradient</b>	<p><math>\mathbf{r}</math> = Position</p> <p><math>\rho = \rho(\mathbf{r})</math> = Fluid density at gravitational equipotential containing <math>\mathbf{r}</math></p> <p><math>\mathbf{g} = \mathbf{g}(\mathbf{r})</math> = Gravitational field strength at point <math>\mathbf{r}</math></p> <p><math>\nabla P</math> = Pressure gradient</p>	$\nabla P = \rho \mathbf{g}$
<b>Buoyancy equations</b>	<p><math>\rho_f</math> = Mass density of the fluid</p> <p><math>V_{\text{imm}}</math> = Immersed volume of body in fluid</p> <p><math>\mathbf{F}_b</math> = Buoyant force</p> <p><math>\mathbf{F}_g</math> = Gravitational force</p> <p><math>\mathbf{W}_{\text{app}}</math> = Apparent weight of immersed body</p> <p><math>\mathbf{W}</math> = Actual weight of immersed body</p>	<p><b>Buoyant force</b></p> $\mathbf{F}_b = -\rho_f V_{\text{imm}} \mathbf{g} = -\mathbf{F}_g$ <p><b>Apparent weight</b></p> $\mathbf{W}_{\text{app}} = \mathbf{W} - \mathbf{F}_b$
<b>Bernoulli's equation</b>	<p><math>p_{\text{constant}}</math> is the total pressure at a point on a streamline</p>	$p + \rho u^2 / 2 + \rho g y = p_{\text{constant}}$
<b>Euler equations</b>	<p><math>\rho</math> = fluid <b>mass density</b></p> <p><math>\mathbf{u}</math> is the <b>flow velocity vector</b></p> <p><math>E</math> = total volume <b>energy density</b></p> <p><math>U</math> = <b>internal energy</b> per unit mass of fluid</p> <p><math>p</math> = <b>pressure</b></p> <p><math>\otimes</math> denotes the <b>tensor product</b></p>	$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{u}) = 0$ $\frac{\partial \rho \mathbf{u}}{\partial t} + \nabla \cdot (\mathbf{u} \otimes (\rho \mathbf{u})) + \nabla p = 0$ $\frac{\partial E}{\partial t} + \nabla \cdot (\mathbf{u} (E + p)) = 0$ $E = \rho \left( U + \frac{1}{2} \mathbf{u}^2 \right)$
<b>Convective acceleration</b>		$\mathbf{a} = (\mathbf{u} \cdot \nabla) \mathbf{u}$
<b>Navier–Stokes equations</b>	<p><math>\mathbf{T}_D</math> = <b>Deviatoric stress tensor</b></p> <p><math>\mathbf{f}</math> = volume density of the <b>body forces</b> acting on the fluid</p> <p><math>\nabla</math> here is the <b>del operator</b>.</p>	$\rho \left( \frac{\partial \mathbf{u}}{\partial t} + \mathbf{u} \cdot \nabla \mathbf{u} \right) = -\nabla p + \nabla \cdot \mathbf{T}_D + \mathbf{f}$

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**Fluid theory of electricity**

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**Fluid theories of electricity**<sup>[1][2]</sup> are outdated theories that postulated one or more **electrical fluids** which were thought to be responsible for many electrical phenomena in the **history of electromagnetism**. The "**two-fluid**" **theory of electricity**, created by **Charles François de Cisternay du Fay**, postulated that electricity was the interaction between two electrical 'fluids.' An alternate simpler theory was proposed by **Benjamin Franklin**, called the **unitary, or one-fluid, theory of electricity**. This theory claimed that electricity was really one fluid, which could be present in excess, or absent from a body, thus explaining its electrical charge. Franklin's theory explained how charges could be dispelled (such as those in **Leyden jars**) and how they could be passed through a chain of people. The fluid theories of electricity eventually became updated to include the effects of **magnetism**, and **electrons** (upon their discovery).

**Fluid theories** [\[ edit \]](#)

In the 1700s many physical phenomena were thought of in terms of an **aether**, which was a fluid that could permeate matter. This idea had been used for centuries, and was the basis of thinking about physical phenomena, such as electricity, as liquids. Other 18th century examples of fluid models are Lavoisier's **caloric** and the **magnetic fluids** of Coulomb and Aepinus.

**Contents** [hide](#)

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  - [One-fluid theory](#)
- [Significance of the one-fluid theory](#)
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- [Connections to magnetism](#)
- [See also](#)
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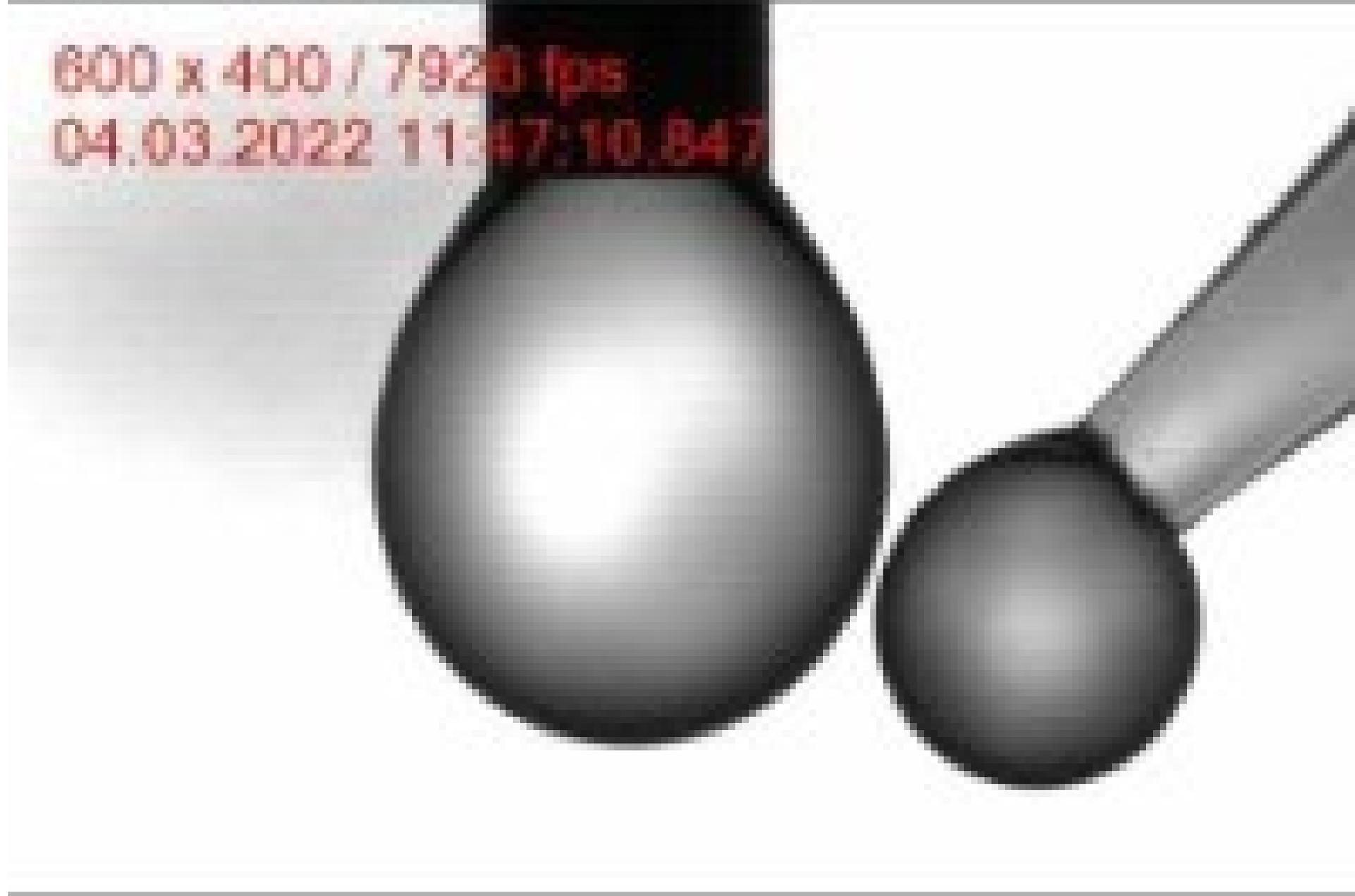
## Viscosity: Video-1

<https://www.youtube.com/shorts/sDFiWcvNCil>



# Droplet Coalescence: Video-2

<https://www.youtube.com/watch?v=E7Qq1mJZ0CY>



# Rigid Body Motion: Video-3



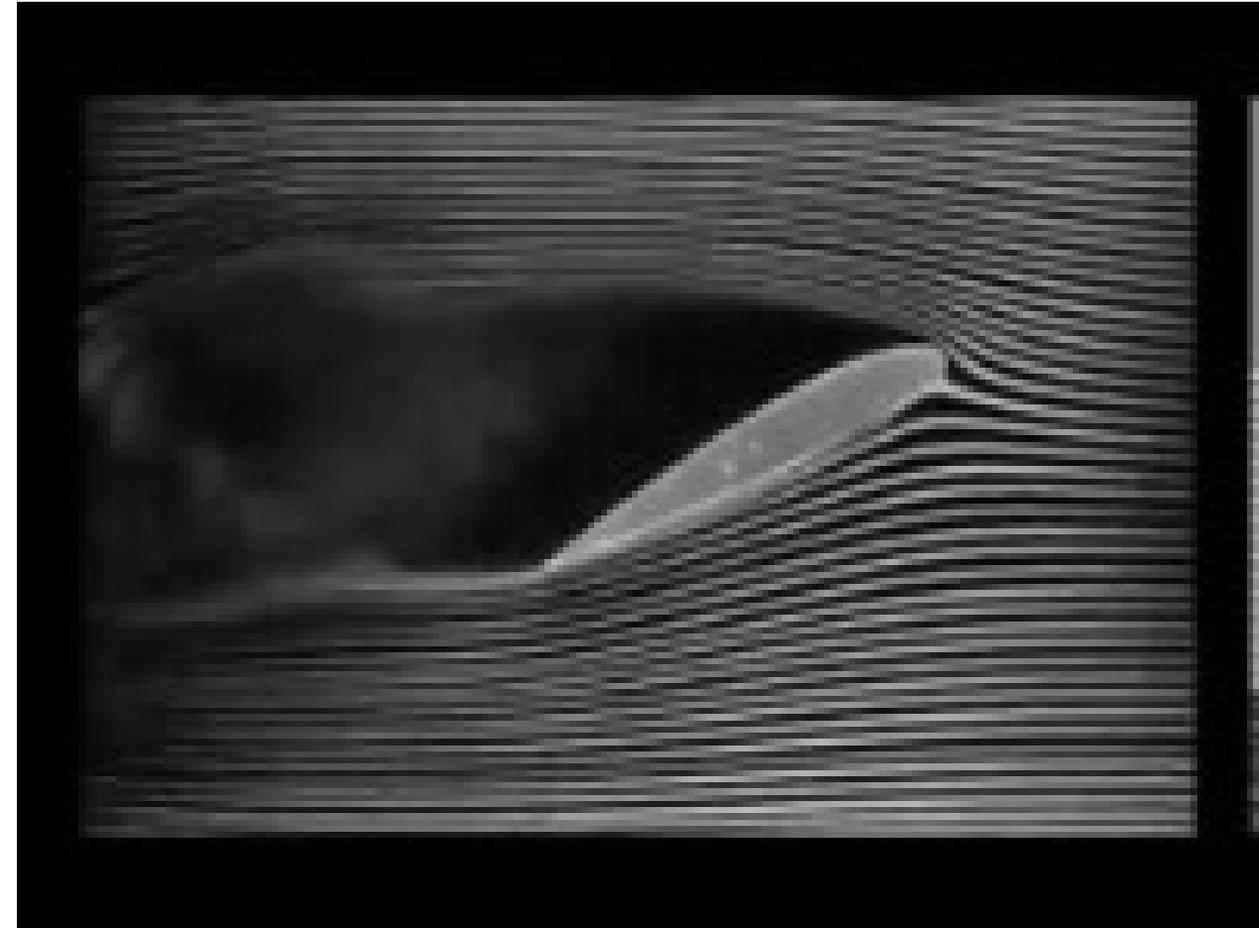
<https://youtu.be/y8mzDvpKzfY>

## Reynold's experiment: Video-4



<https://www.youtube.com/watch?v=U4Mg6KQqIt8>

## Airfoil AOA: Video-5



<https://www.youtube.com/watch?v=hffyIEZD57E>

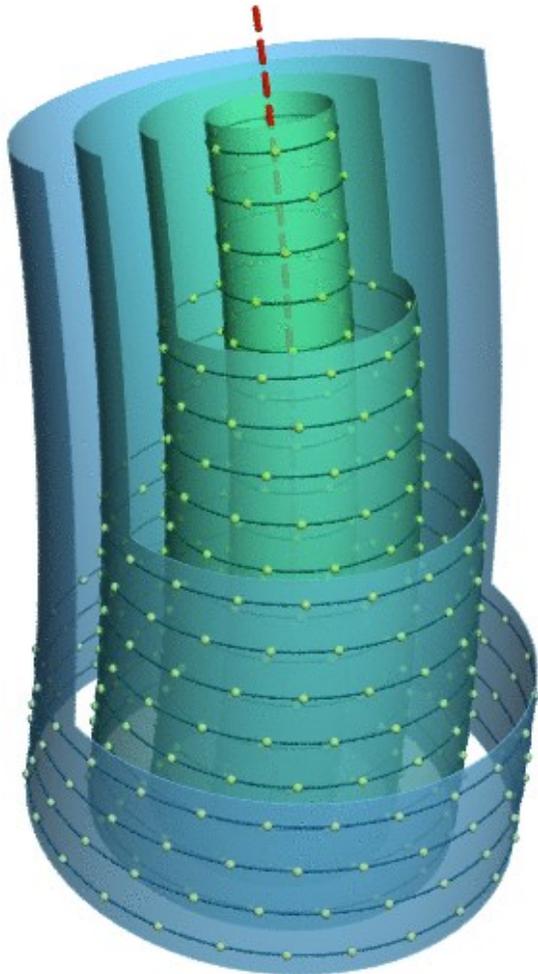
## Laminar flow: Video-6

<https://www.youtube.com/watch?v=aBCfFq3mJ-8>



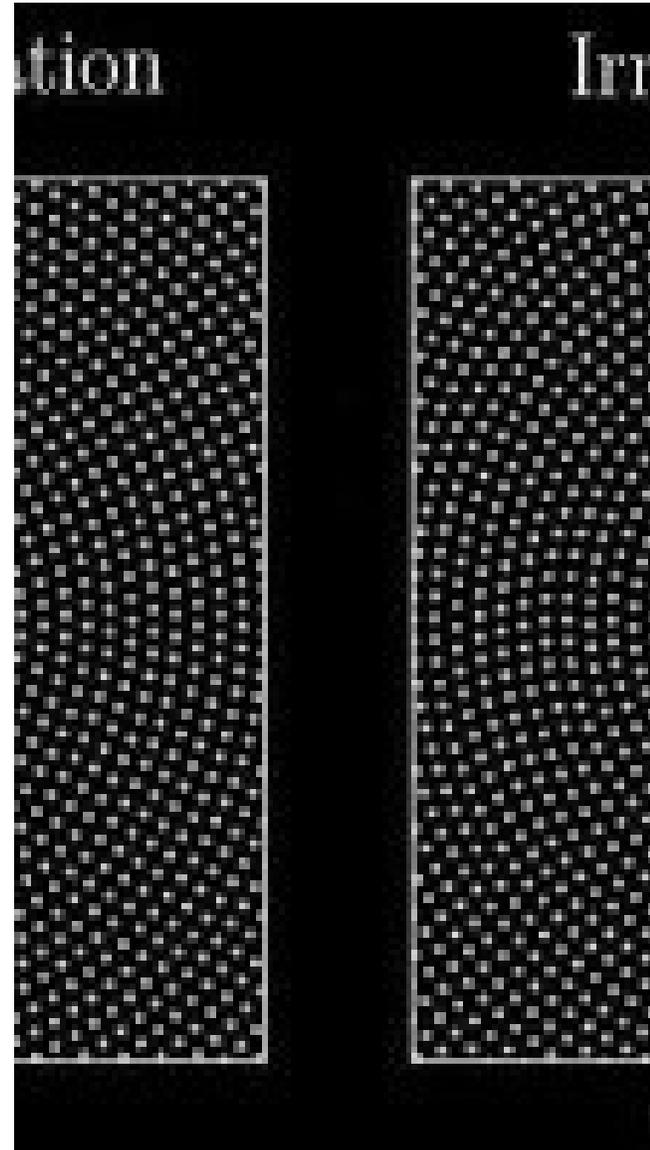
## Irrotational vortex: Video-7

<https://upload.wikimedia.org/wikipedia/commons/c/cb/IrrotationalVortexFlow-anim.gif>



## Rotational Vs Irrotational vortex: Video-8

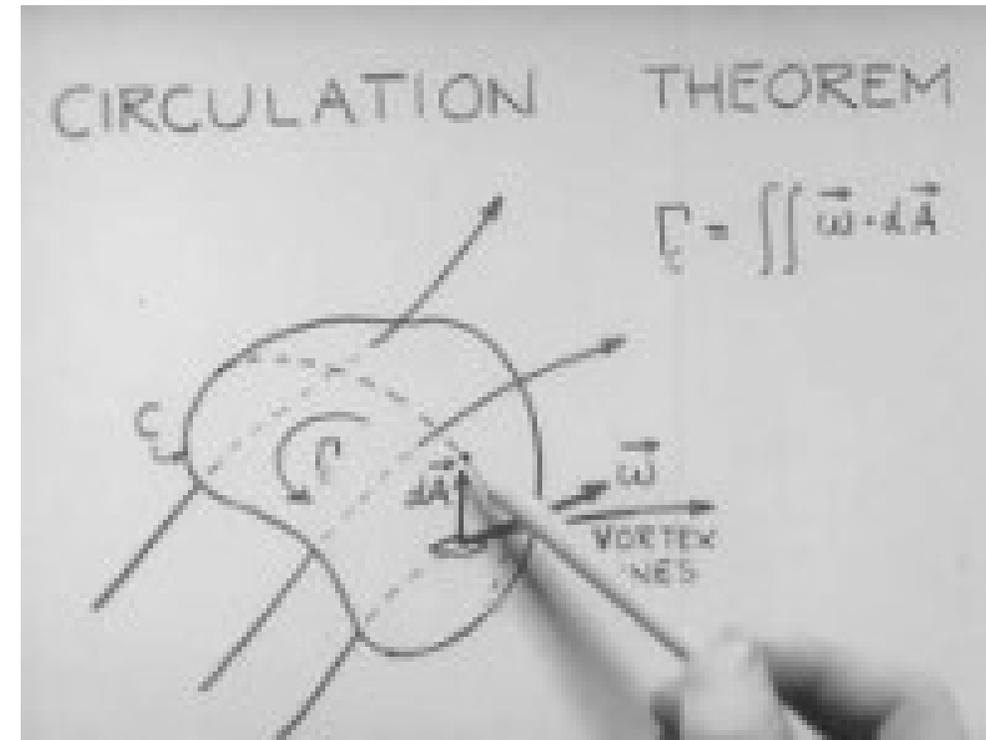
<https://www.youtube.com/shorts/DwxtJKZDK98>



Must watch

Vorticity: Ascher Shapiro (Video-9)

<https://www.youtube.com/watch?v=pOA3VJHCnWs>







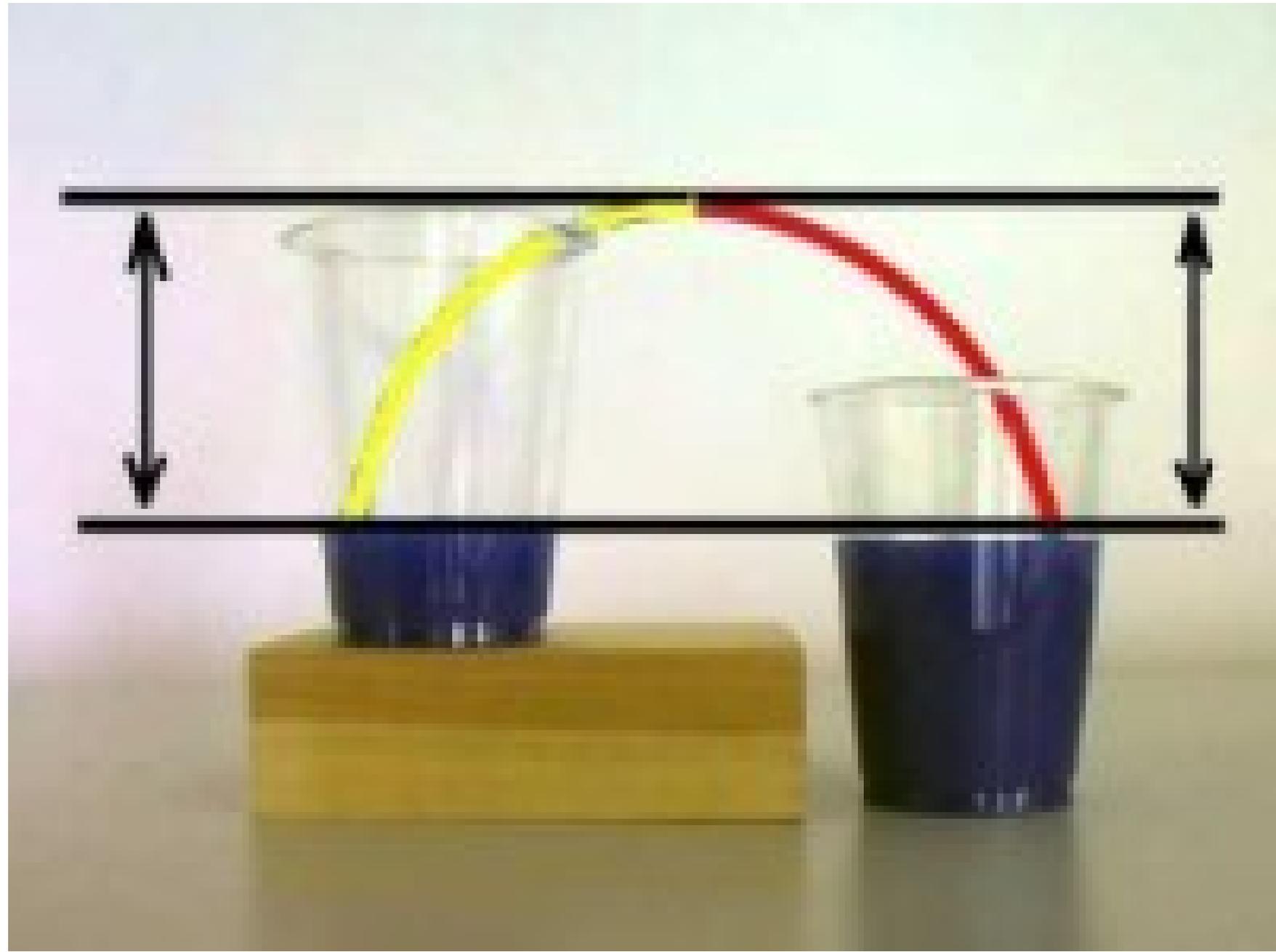
Video 11: <https://www.youtube.com/watch?v=1TQL1ju3RoQ>

Video 12:

<https://www.youtube.com/shorts/V510005jDug>



Video 13: <https://www.youtube.com/watch?v=CZmP0vsRBZ8>



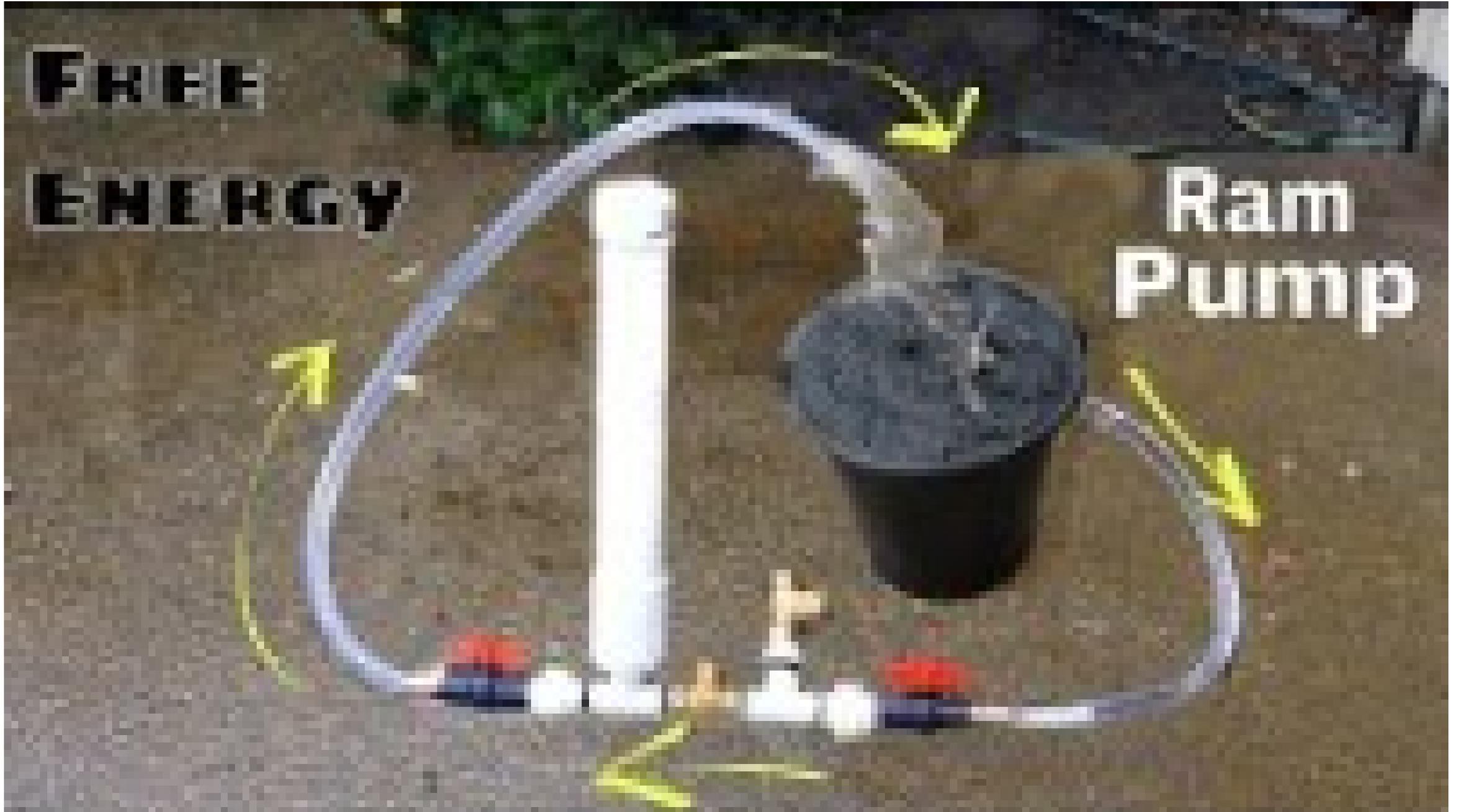


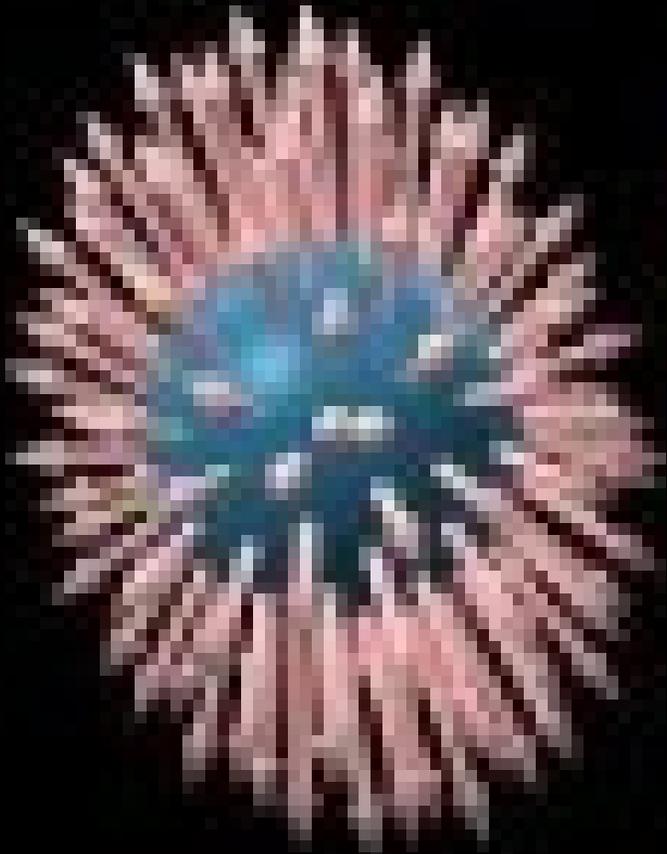
# Devious Cup

# Pythagoras Cup









# Visualization of Tensors

Part 1

# Navier-Stokes Equations

$$\nabla \cdot \vec{v} = 0 \iff \vec{v} \cdot \nabla \vec{v}$$



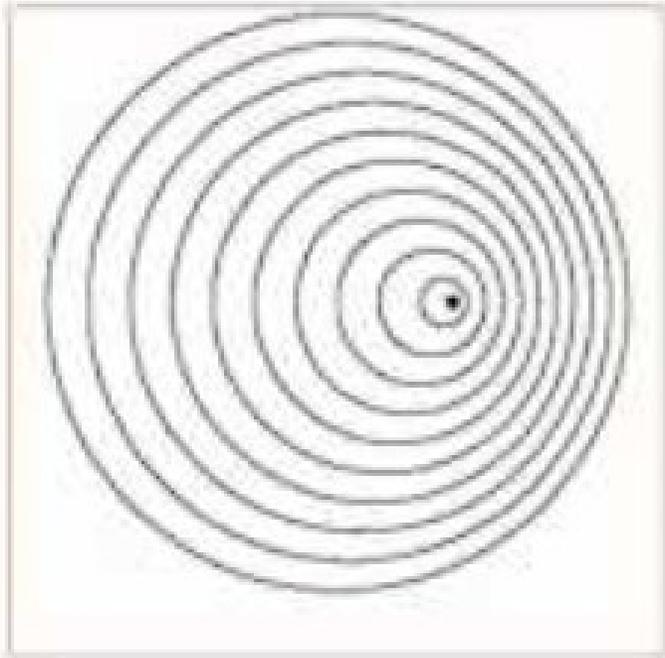
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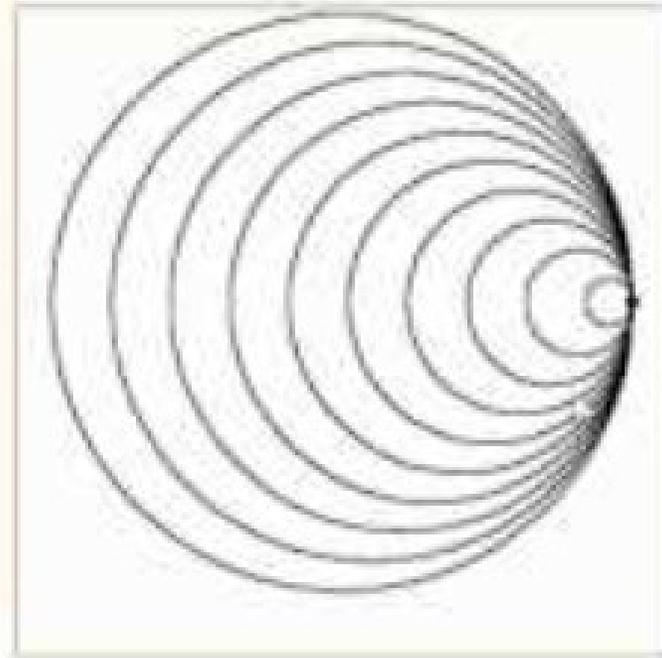
# HYDRAULICS



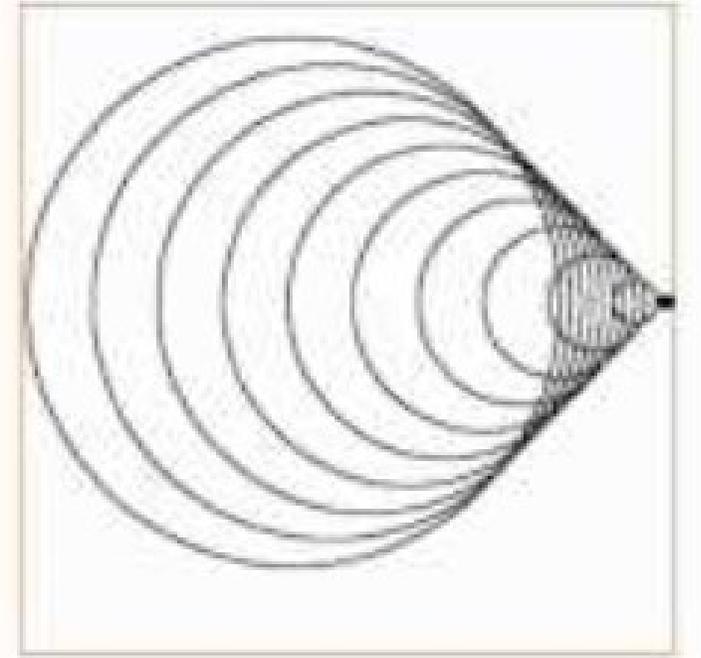
WEIR?



$$v_{\text{source}} < v_{\text{wave}}$$

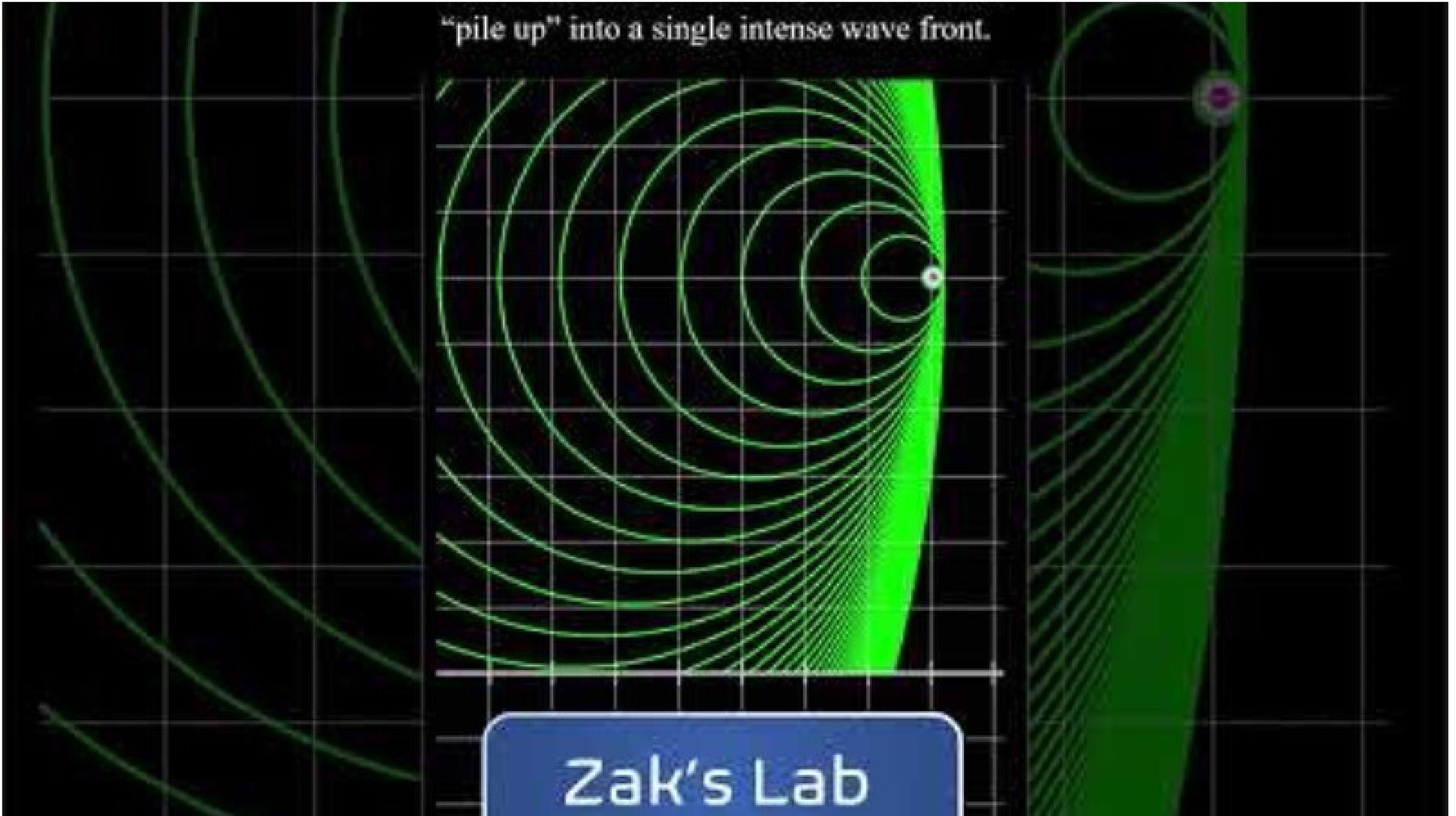


$$v_{\text{source}} = v_{\text{wave}}$$



$$v_{\text{source}} > v_{\text{wave}}$$

"pile up" into a single intense wave front.



Zak's Lab

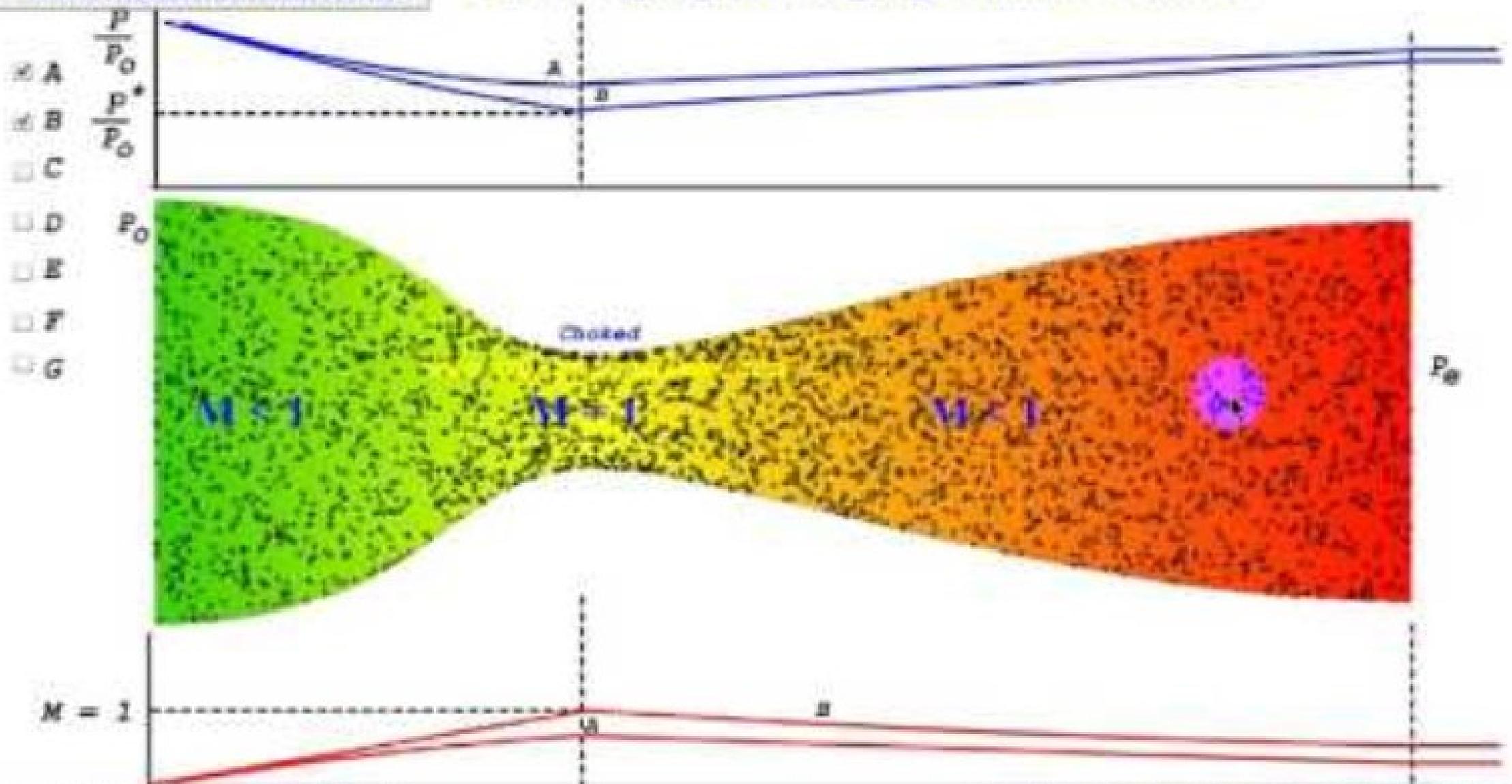
# WHAT

# THE

# FLOW?



# Converging-Diverging Rocket Nozzle



$t = 24:29600$

Computational resources were provided  
by EPSRC and UKTC on the  
UK national super computer ARCHER  
in the scope of a Leadership project